

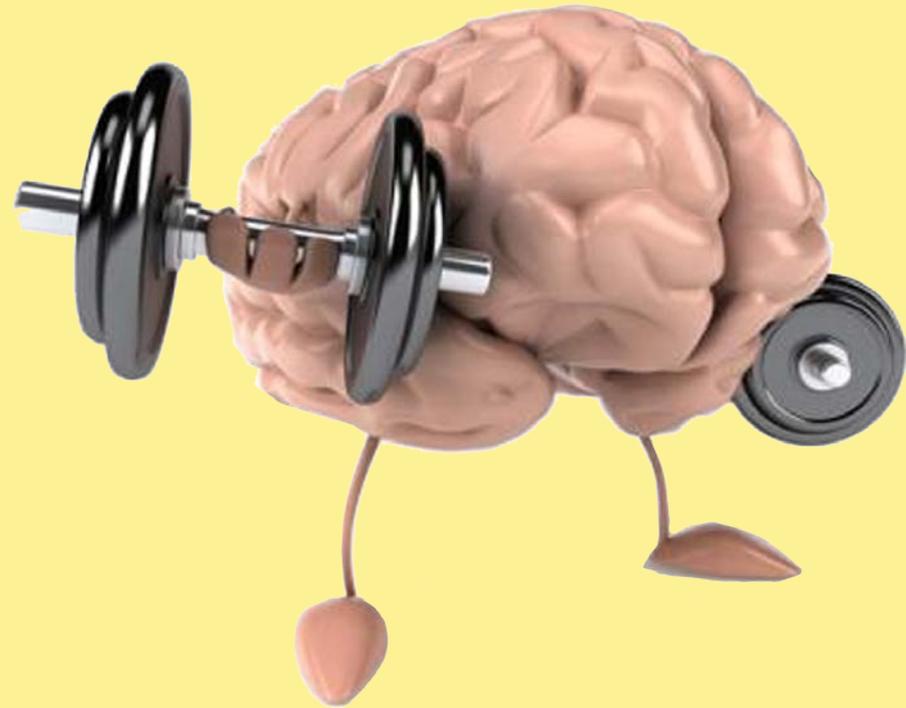
Cross-disciplinary synthesis of ecological and neuroimaging methods

Neuroimaging epidemiologists: We're in your department, eating your cake and using your analytical tool set

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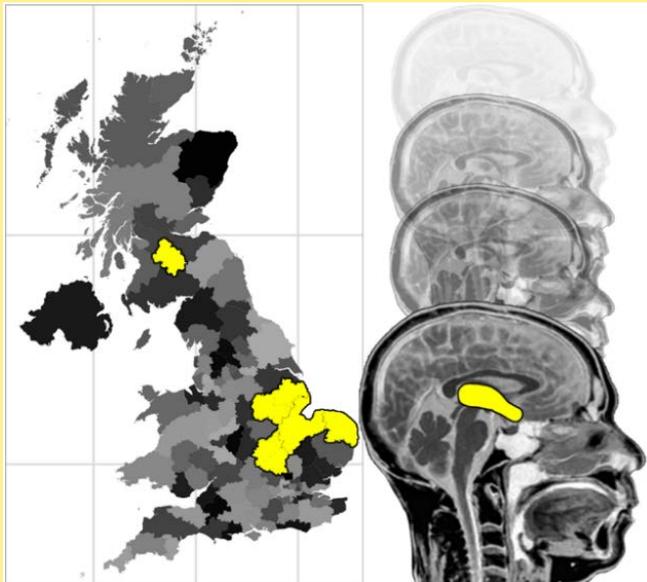
Brain ageing

- There are lots of ageing brains
 - In 2017, 15% (3,794,800) of the population were aged over 65⁽¹⁾ (>25% by 2096⁽²⁾)
- Some aspects of brain ageing are typical
 - Between ages 60-80, ~10% total brain volume loss⁽³⁾
- Some aspects of brain ageing aren't typical, and this is a problem
 - e.g. Dementia is the second leading cause of death in Australia⁽⁴⁾
- No treatment, so prevention of pathological decline is vital
- Looking at brain volume/atrophy is a good start



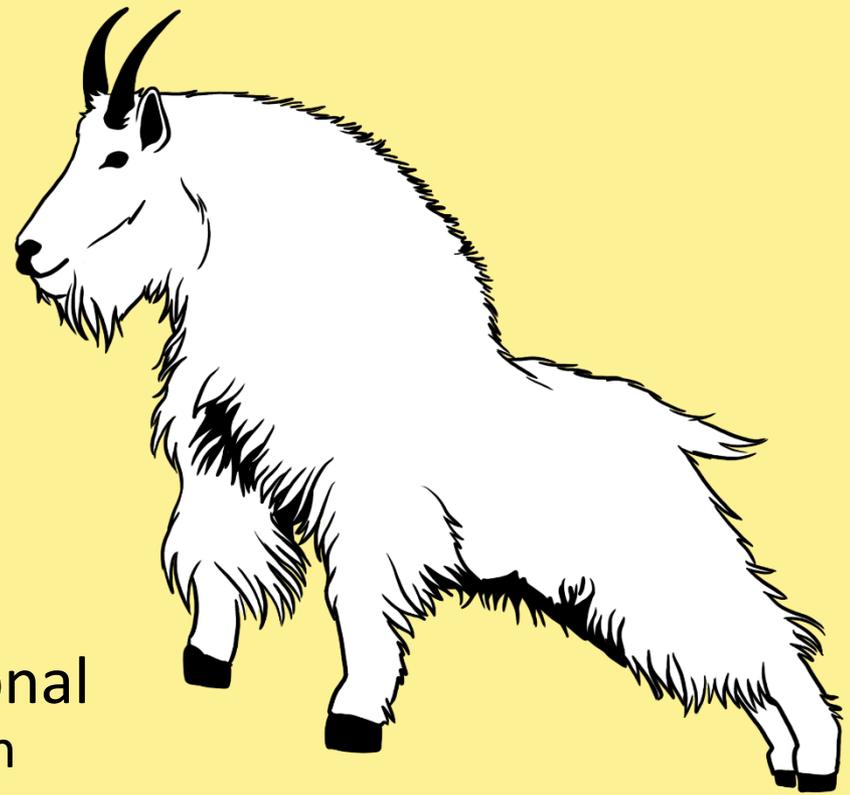
Brain ageing in geospatial context

- We know physical location can impact brain ageing
 - Lower dementia incidence in wealthier urban than poorer rural settings⁽⁵⁾
- We know correlates of unhealthy brain ageing have a spatial distribution
 - Stroke belt in the US ⁽⁷⁾
 - Dementia incidence hotspots⁽⁶⁾
- What about brain volumes?



Mountain goats in British Columbia

- Use resources
 - e.g. tasty grasses
- Resources may be correlated or mutually exclusive
 - e.g. climate and grass distribution
- Resources may be fixed or seasonal
 - e.g. habitat elevation vs day length
- Resource use is *selective*; resources are used disproportionately to availability
 - E.g. tastiest grasses are preferentially eaten
- Location can be used as a proxy of resource use
 - disproportionate time spent in habitat (given habitat availability) indicates selective use of resources
- **Resource use can be thought of in terms of a maximum likelihood relative probability function.**

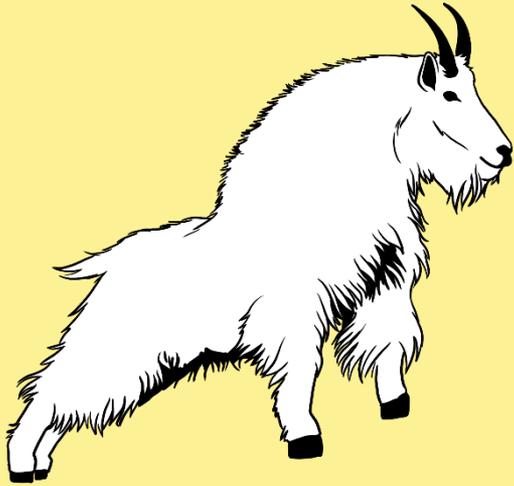


Human brains in the United Kingdom

- Exposed to risk/protective factors
 - e.g. type 2 diabetes
- These factors may be correlated or mutually exclusive
 - e.g. depression and diet quality
- These may be fixed or seasonal
 - e.g. genetics vs pollution exposure
- Exposure to these factors is *selective*; risks are distributed disproportionately in the population
 - e.g. genetic predisposition
- Location can be used as a proxy of factor exposure
 - disproportionate amount of pollution near residence indicates selective exposure to air pollution.
- **Risk/protective factors can be thought of in terms of a maximum likelihood relative probability function... Probably?**



Mountain goats in British Columbia



Conceptually
=

Human brains in the UK

Think of resource distribution in terms of
risk/protective factor distribution



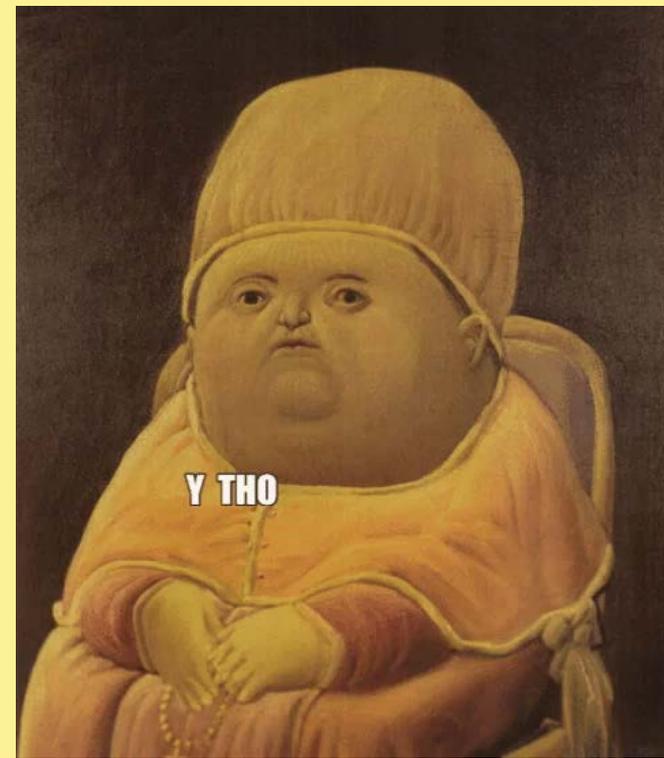
But... Why?

Existing methods in spatial epidemiology...

- Physical overlap of range e.g. Sørensen–Dice index
- Hotspot analysis, e.g. Getis-Ord statistic G_i^*
- Gradient analysis

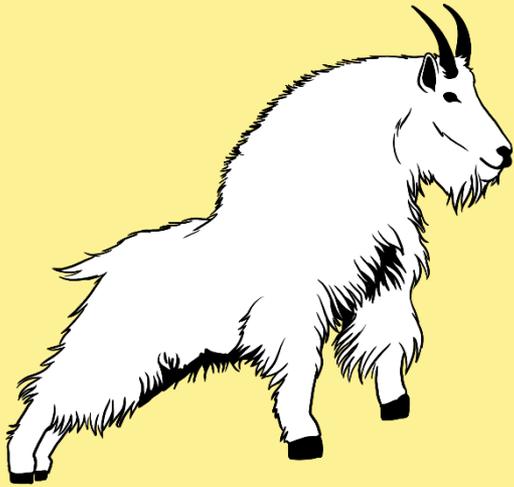
Cope poorly when factors are:

- Too numerous
- Correlated or mutually exclusive
- Four-dimensional (especially a mix of fixed and seasonal)
- Distributed disproportionately in the population (except G_i^*)



Source: <http://knowyourmeme.com/memes/y-tho>

Mountain goats in British Columbia



Conceptually



Human brains in the UK

Think of resource distribution in terms of
risk/protective factor distribution

Statistically

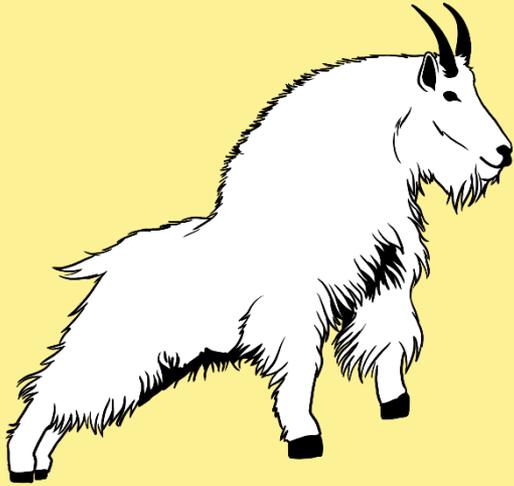


?

$$P(Y=1 \mid \mathbf{X} = \mathbf{x}) = \pi(\mathbf{x}, \beta)$$



Mountain goats in British Columbia



Conceptually
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Human brains in the UK



Statistically
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?

$$P(Y=1 | X=x) = \pi(x, \beta)$$

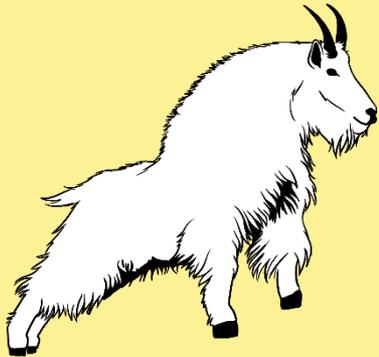
A constellation of resources/factors at a particular location ($X=X_1, X_2 \dots X_p$) have a corresponding value Y_i ($Y_i=1, Y_i=0$)

β can be interpreted as the slope of the association

As long as X_i is a random sample from a multivariate distribution $f^A(x)$

β is embedded in a weighted distribution $f^U(X=x|Y=1; \beta) = \frac{\pi(x, \beta) f^A(x)}{P(\beta)}$

Mountain goats in British Columbia



Conceptually
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Think of resource distribution in terms of risk/protective factor distribution

Human brains in the UK

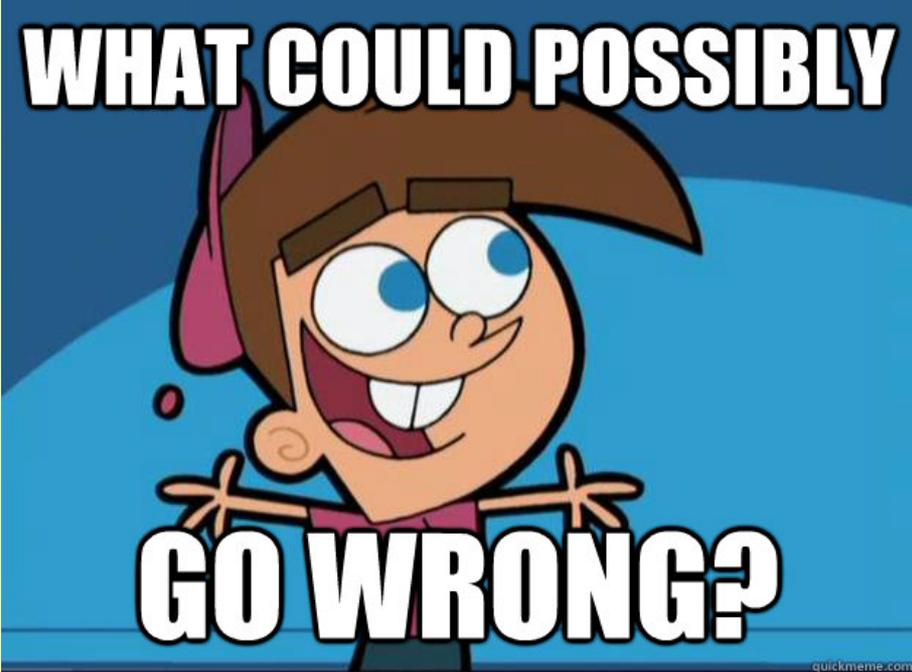


Statistically
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$$f^U(X = x|Y = 1; \beta) = \frac{\pi(x, \beta) f^A(x)}{P(\beta)}$$

β shouldn't care if it's for goats and grasses vs brain volumes and risk/protective factors.

(seriously, I'm after your input!)



Thanks to:

- **Brain people:** A/Prof Nic Cherbuin and the rest of the NeuroImaging Brain Lab (CRAHW in RSPH)
- **Geospatial people:** Dr. Nasser Bagheri, Department of Health Services Research and Policy (RSPH)
- **Biology people:** Prof Scott Keogh et al (E&E).

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THE FUN PARTS (thank you for asking):

- Physical overlap of range
 - e.g. Sørensen–Dice index
- Hotspot analysis, e.g. Getis-Ord statistic G_i^*
 - n are the number of observations
 - x is the characteristic of interest
 - j is a value for x
 - $G_i^* = \frac{\sum_{j=i}^n w_{i,j} x_j - \bar{X} \sum_{j=1}^n w_{i,j}}{\sqrt{\frac{n \sum_{j=1}^n w_{i,j}^2 - (\sum_{j=1}^n w_{i,j})^2}{n-1}}}$
 - x_i value is high compared to \bar{X} .
- Gradient analysis, e.g. change in value (z) over a distance (d)
 - Expressed as the partial derivative of the x and y location $T=T(x,y)$,
 - And the vector $\nabla T = \left(\frac{\partial T}{\partial x}, \frac{\partial T}{\partial y}, \frac{\partial T}{\partial t} \right)$
- Resource selection function
 - $X=X_1, X_2, \dots$ resources/factors at a particular location, X_i is a random sample from a multivariate distribution $f^A(x)$
 - Y_i corresponding value to X_i ($Y_i=1, Y_i=0$)
 - β is the slope
 - $f^U(X = x | Y = 1; \beta) = \frac{\pi(x, \beta) f^A(x)}{P(\beta)}$